Stars or gas? Constraining the hardening processes of massive black-hole binaries with LISA

Ten years to LISA: New Challenges and Opportunities in Multimessenger/Multiband Science Pasadena - 2nd April 2025

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Centro Nazionale di Ricerca in HPC, Big Data and Quantum Computing

Massive black-hole binaries in the cosmic landscape

Galaxy mergers: building blocks for the large-scale cosmic structure



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This work: **Do they evolve in either gaseous or stellar environment?**

Observation of MBHB: one of the main science objectives of LISA

How do they form?

How do they grow?

How do they merge?









Astrophysical population of massive black-hole binaries

- N-body simulation of dark matter evolution (ΛCDM cosmology) halo merger trees
- Semi-analytical model to follow the cosmological evolution of galaxies, MBHs, and MBHBs



Millennium II simulation

Millennium-II simulation [Nature, 435, 629]









Astrophysical environment



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Our fiducial model



- Clear picture: high-mass and low-redshift: stellar hardening low-mass and high-redshift: gas hardening
- Not so clear: intermediate ranges



Do they evolve in either gaseous or stellar environment?



Building mock LISA catalogs

Our recipe:

• Predicted merger rate by L-Galaxies:
$$\frac{dN}{dt_{obs}} = \frac{dN}{dz} 4\pi \left[\frac{d_L}{(1+z)} \right]$$

• Source samples: $P_{\lambda}(N_{cat}) = \frac{\lambda^{N_{cat}}e^{-\lambda}}{N_{cat}!}$ where $\lambda = T_{obs} \int \frac{dN}{dz}$
Each source characterized by m_1, m_2, χ_1, χ_1

• Extrinsic parameters:

 $\lambda \sim U(0, 2\pi)$

 $\phi_0 \sim U(0, 2\pi)$

COSl ~ ~U(-1, 1)

 $sin\beta \sim U(-1, 1)$



 $\Psi \sim U(-\pi/2, \pi/2)$





Building mock LISA catalogs

• Detectability:



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Inference on astrophysical (sub)populations

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Probability density estimate of the astrophysical sub-populations

$$B_{G/S} = \frac{Z(d \mid G)}{Z(d \mid S)} = \frac{\int p(\theta \mid d,)}{\int p(\theta \mid d,)}$$

$$D_{G/S} = \frac{p(\det | G)}{p(\det | S)} B_{G/S}$$

The 'one to many' formalism

U = uninformative model G = gas hardening

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M. Mould et al., 2023, MNRAS 525, 3986 9

Single-event parameter estimation

Astrophysical model selection

Can we constrain the astrophysical environment with LISA observations?

Yes...within context of the adopted astrophysical models

Which features help us to distinguish stars from gas?

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Importance of the BH spins

We need more accurate astrophysical models!

Thanks for the attention!